

US03CPHY02

UNIT 3

Feedback in Amplifiers Part-2



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Advantages of Negative feedback

UNIT-III Feedback in Amplifiers

Concepts of feedback in amplifiers, Types of feedback, Voltage gain of feedback amplifier, Advantages of negative feedback, Stabilization of gain, Reduction in distortion and noise, Increase in input impedance, Decrease in output impedance, Increase in bandwidth, Amplifier circuit with negative feedback, RC coupled amplifier without bypass capacitor, Emitter follower, Related Numericals

UNIT-IV Oscillators

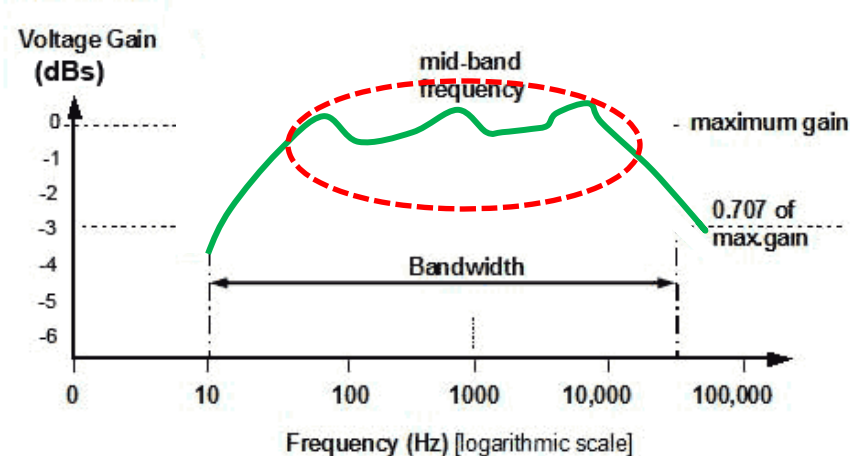
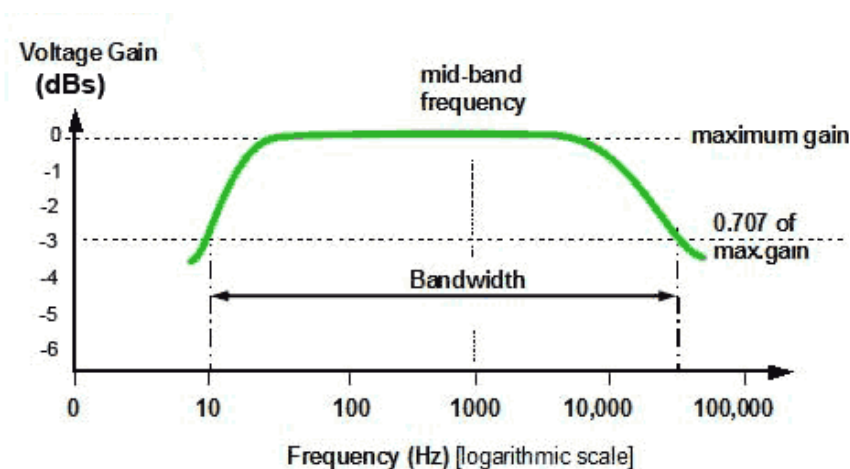
Need of an oscillator, Classification of oscillators, Tuned circuit for generation of sine waves, Frequency of oscillation in LC circuit, Sustained oscillations, Positive feedback amplifier as an oscillator, The starting voltage, Hartley oscillator, Colpitts oscillator, Basic principles of RC oscillator, Phase shift oscillator, Wien bridge oscillator, Crystal oscillators, Crystal oscillator circuit, Related Numericals

1. Stabilization of Gain. Why?

The gain of the amplifier may change due to;

1. Change in power supply voltage
2. Change in parameters of the active device like transistor

The change in gain may drive the performance of the amplifier to undesired conditions. So stability of the gain is necessary for smooth functioning of the amplifier.



1. Stabilization of Gain. How?

For a negative feedback amplifier, we have $A_f = \frac{A}{(1 + A\beta)}$

If we make $A\beta \gg 1$, $A_f = \frac{A}{(1 + A\beta)} = \frac{A}{A\beta} = \frac{1}{\beta}$ (1)

Since $\beta = \frac{R_1}{R_1 + R_2} =$

A_f can be made independent of A (gain of internal amplifier).

Now, even if A changes, we can calculate % change in A_f .

From equation

$$\frac{dA_f}{dA} = \frac{(1 + A\beta) \times 1 - A(\beta)}{(1 + A\beta)^2}$$

$$\therefore \frac{dA_f}{dA} = \frac{1}{(1 + A\beta)^2}$$

$$\therefore dA_f = \frac{dA}{(1 + A\beta)^2} \dots\dots(2)$$

Dividing (2) by

$$\frac{dA_f}{A_f} = \frac{(1)}{(1 + A\beta)^2} \times \frac{(1 + A\beta)}{A}$$

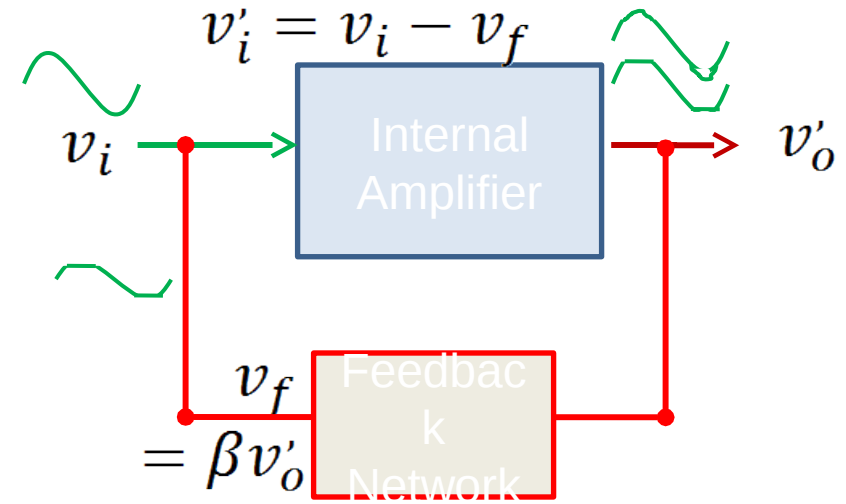
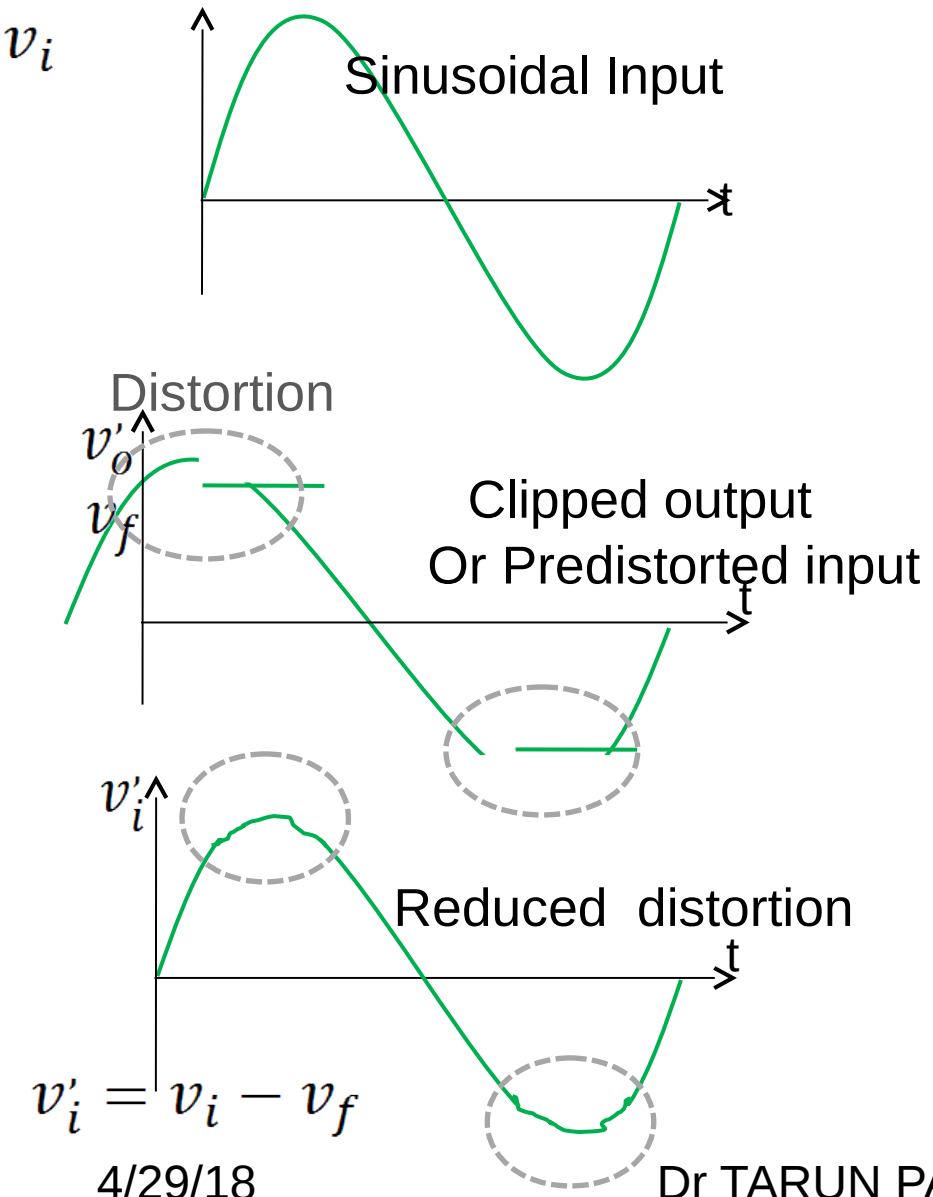
$$\therefore \frac{dA_f}{A_f} = \frac{1}{(1 + A\beta)} \frac{dA}{A}$$

Since $(1 + A\beta) > 1$,

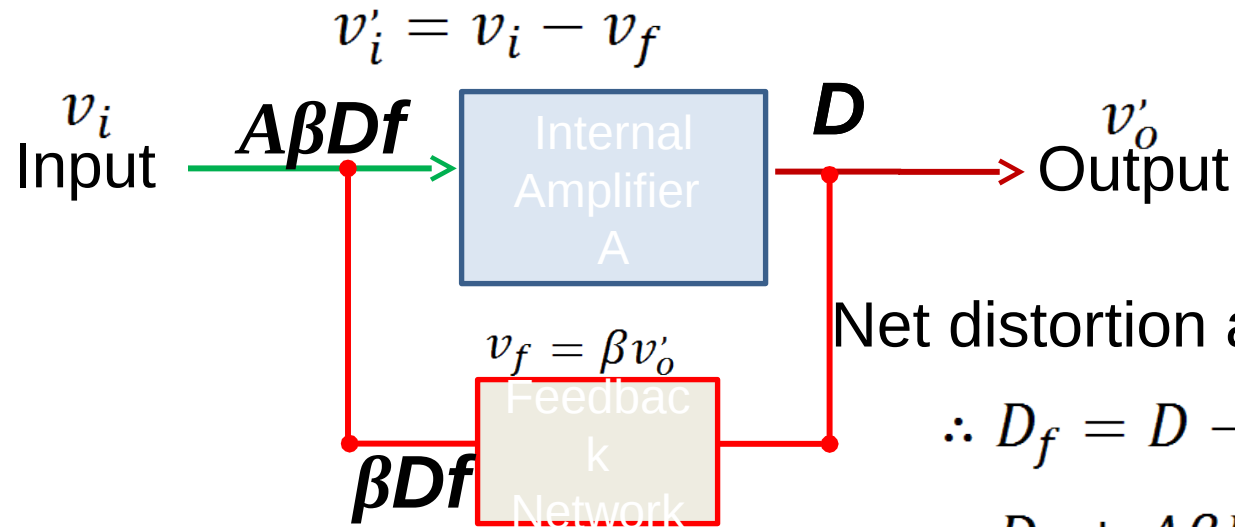
(% change in A_f) is \ll (% change

i.e. A_f is much more stable than A.

2. Reduction in Harmonic Distortion. How?



2.Reduction in Harmonic Distortion. Quantitative



Net distortion after feedback,

$$\therefore D_f = D - A\beta D_f$$

$$\therefore D_f + A\beta D_f = D$$

$$\therefore D_f(1 + A\beta) = D$$

$$\therefore D_f = \frac{D}{(1 + A\beta)}$$

Since $(1 + A\beta) > 1$

$$\therefore D_f < D$$

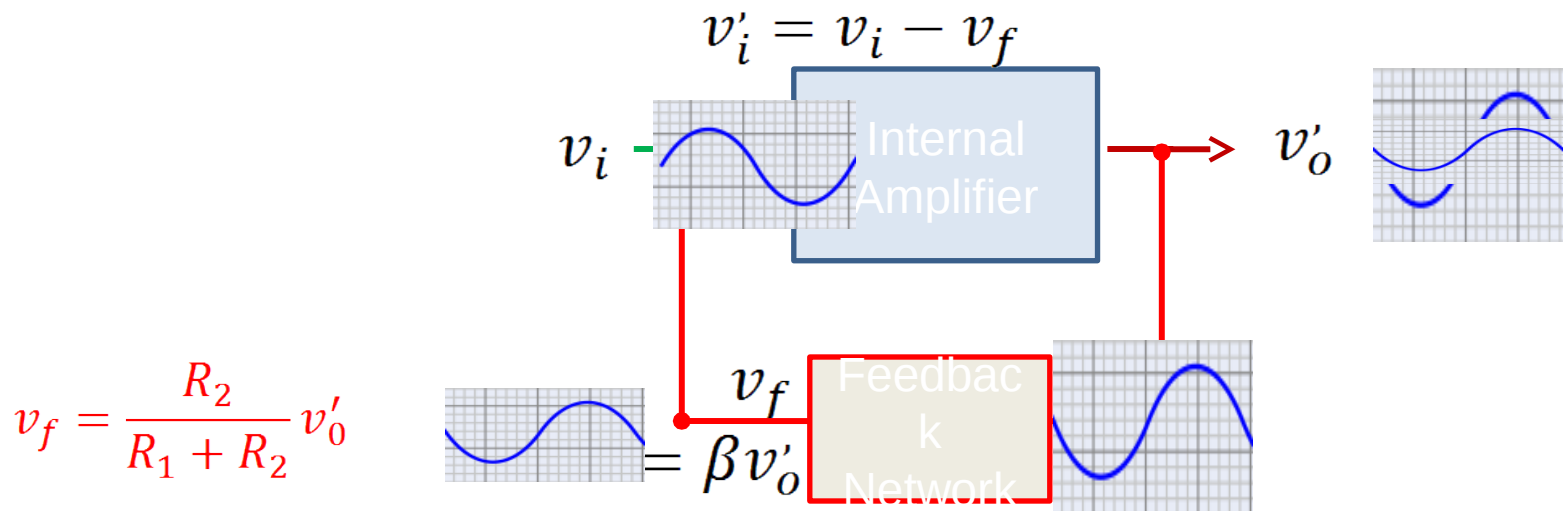
D = distortion without feedback

D_f = distortion AFTER feedback

A = Gain of Internal amplifier

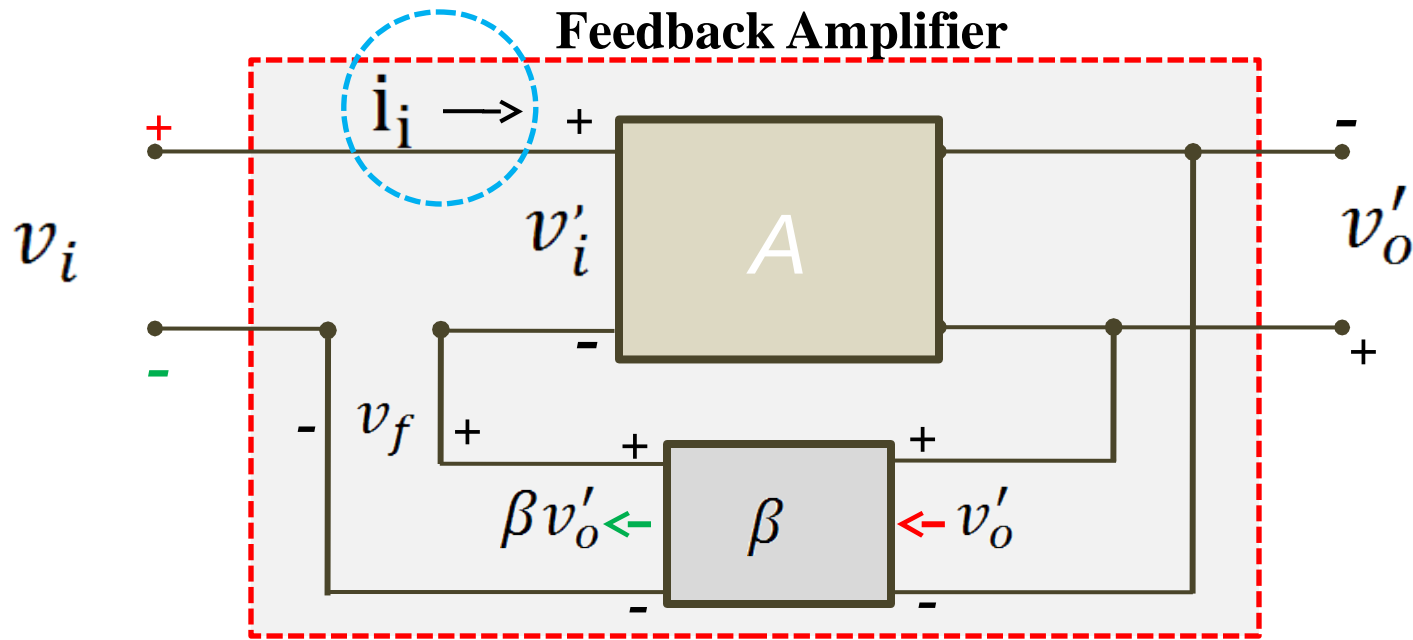
β = Gain of feedback amplifier

2. Reduction in Noise



1. Electrical noises are generated due to many reasons.
2. Such noises gives noise voltage signals.
3. These noise voltage signals are amplified and feed backed to basic amplifier.
4. Due to negative feedback net noise signal voltage at the output decreases.
5. Hence the net noise level decreases.

3. Increase in *Input impedance*



$$v'_i = v_i - \beta v'_o$$

$$\text{Since } A = \frac{v'_o}{v'_i} \quad v'_o = Av'_i$$

$$\therefore v'_i = v_i - A\beta v'_i$$

$$\therefore v_i = v'_i + A\beta v'_i$$

$$\therefore v_i = v'_i(1 + A\beta)$$

$$\therefore \frac{v_i}{i_i} = \frac{v'_i}{i_i} (1 + A\beta)$$

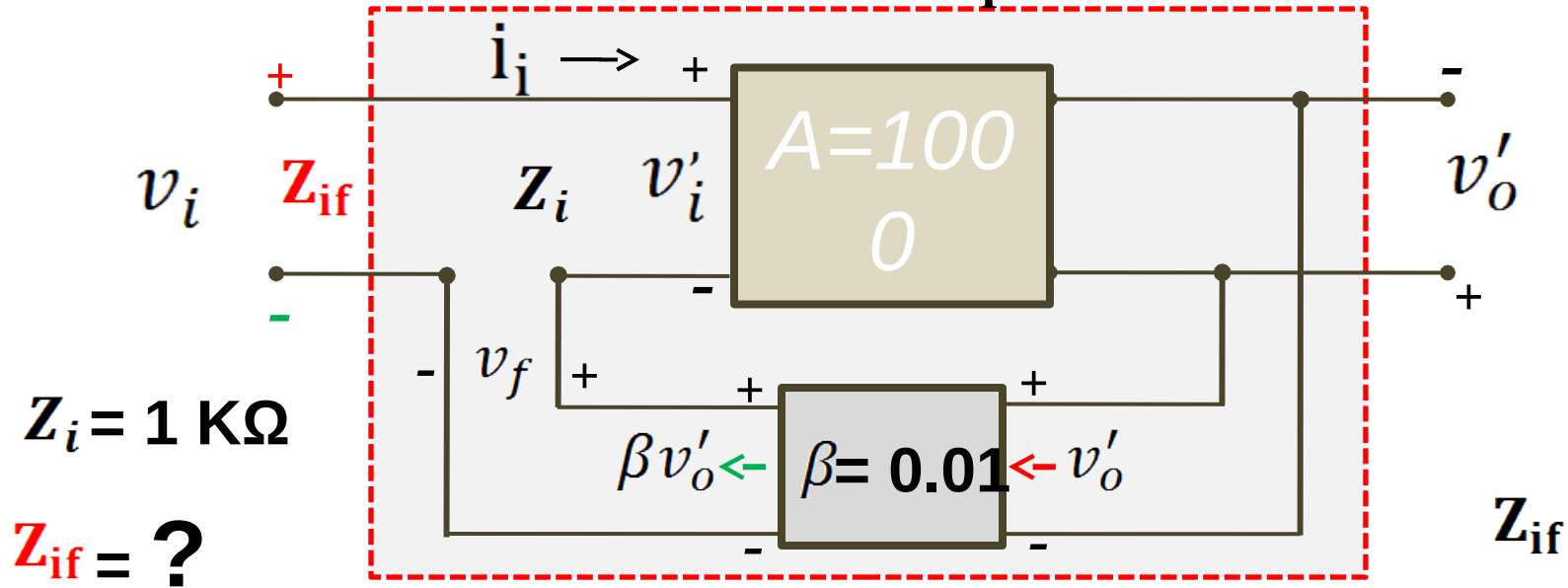
$$\therefore Z_{if} = Z_i(1 + A\beta)$$

$$\therefore Z_{if} > Z_i$$

An amplifier requires higher input impedance.

3. Increase in *Input impedance*: Example

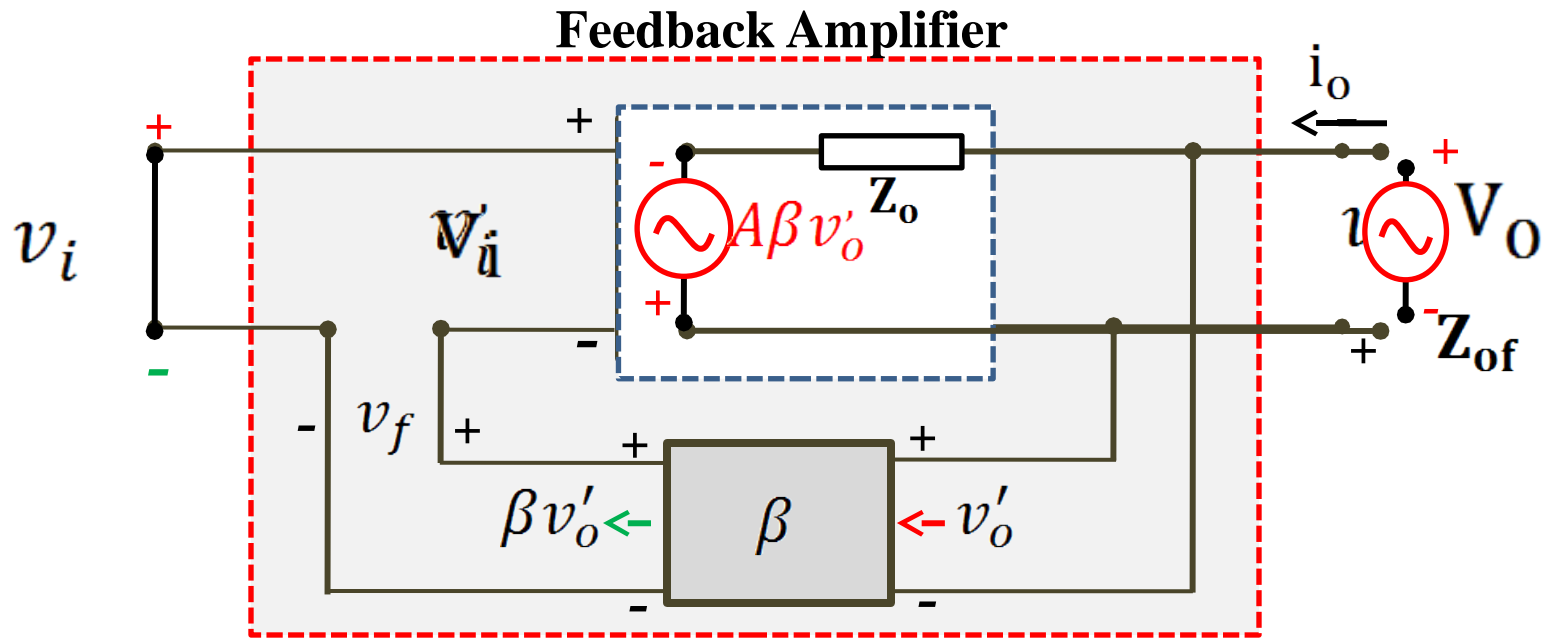
Feedback Amplifier



$$\therefore Z_{if} = Z_i(1 + A\beta)$$

$$Z_{if} = 11 \text{ K}\Omega$$

4. Decrease in *Output impedance*:



1. Output replaced by voltage source.
2. Input terminals shorted.
3. Connect voltage source at output

If input impedance of β network is very high, KVL gives.

$$V_O + A\beta V_O = I_O Z_0$$

$$\therefore V_O(1 + A\beta) = I_O Z_0$$

$$\therefore \frac{V_O}{I_O} = \frac{Z_0}{(1 + A\beta)}$$

$$\therefore Z_{of} = \frac{Z_0}{(1 + A\beta)}$$

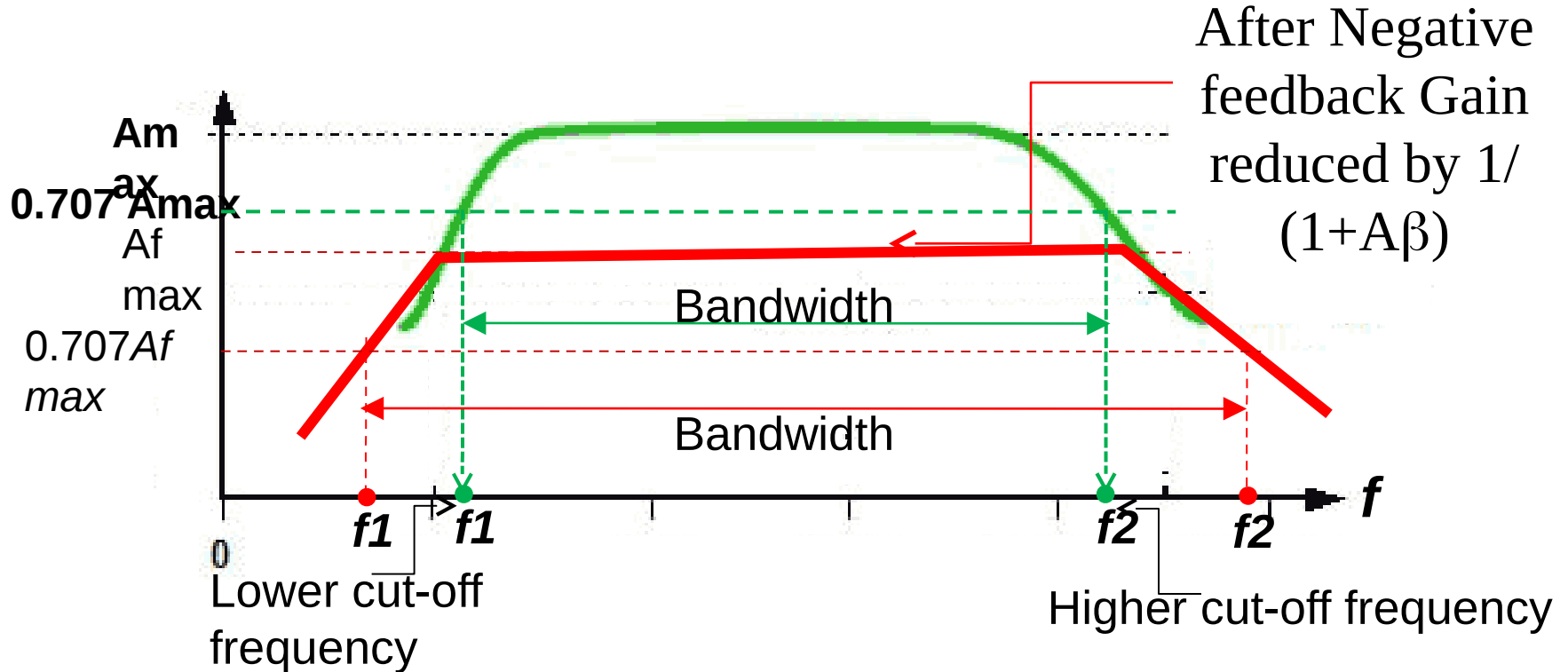
$$\therefore Z_{of} < Z_0$$

An amplifier requires lower output impedance.

5. Increase in *Bandwidth*

Bandwidth:

“band of frequencies where the Gain is ≥ 0.707 of its maximum”.



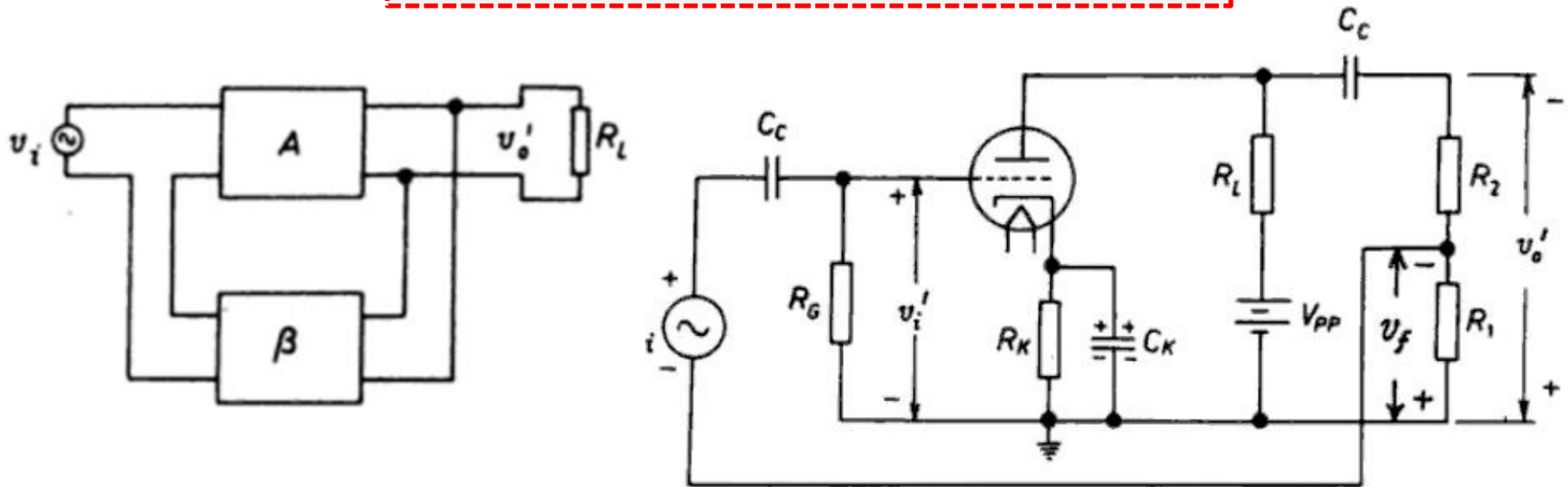
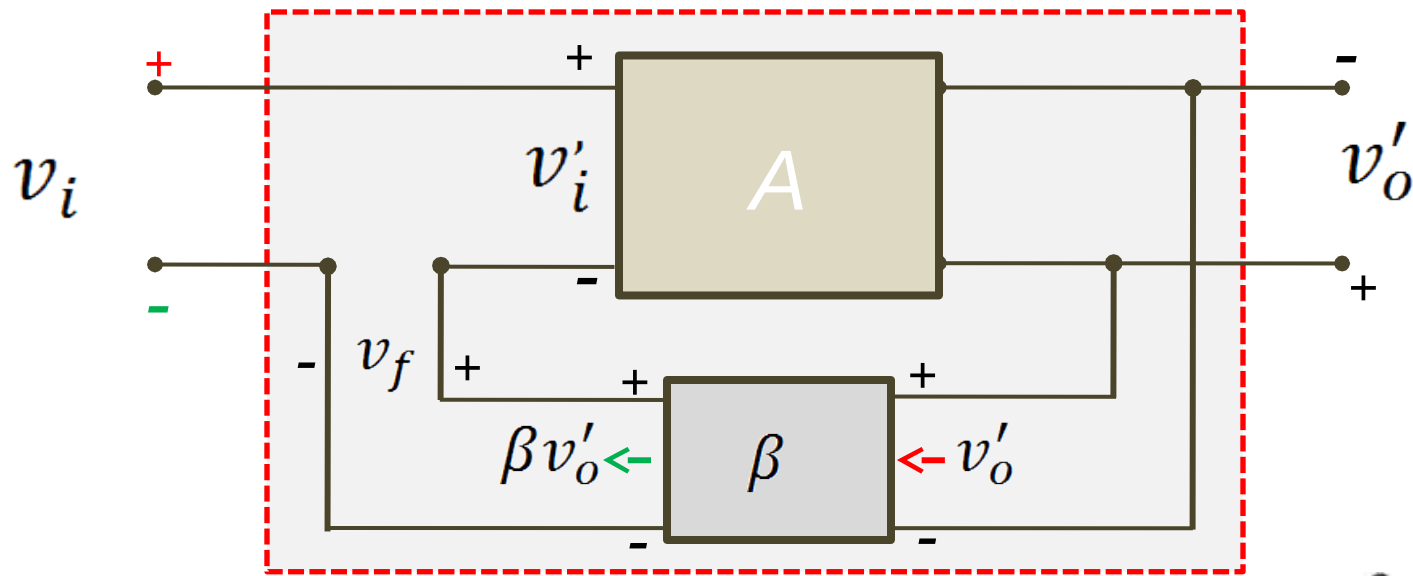
$$\text{Bandwidth} = (f_2 - f_1) \text{ Hz} \gg \text{Bandwidth} = (f_2 - f_1) \text{ Hz}$$

$$(\text{Gain} \times \text{Bandwidth}) = \text{Constant}$$

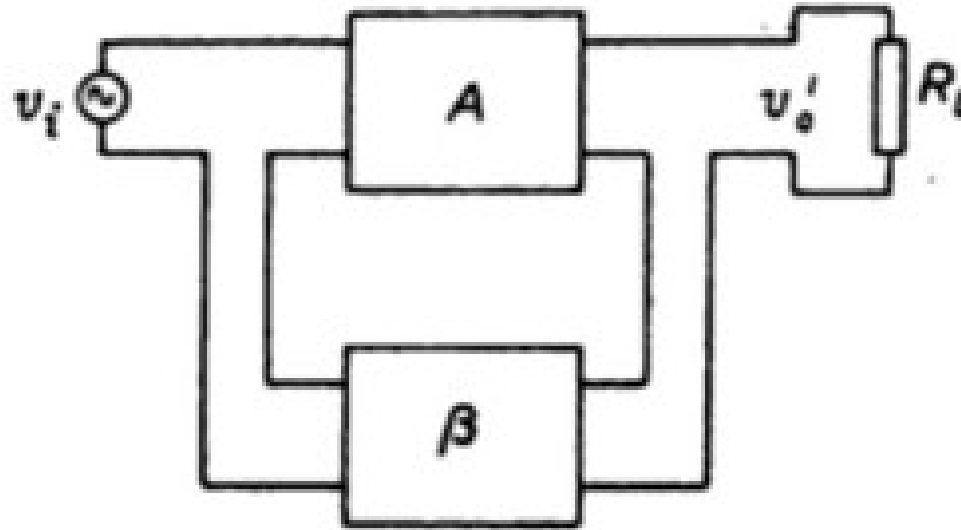
Amplifiers with Negative Feedback

Amplifier with *Series Voltage Negative Feedback*

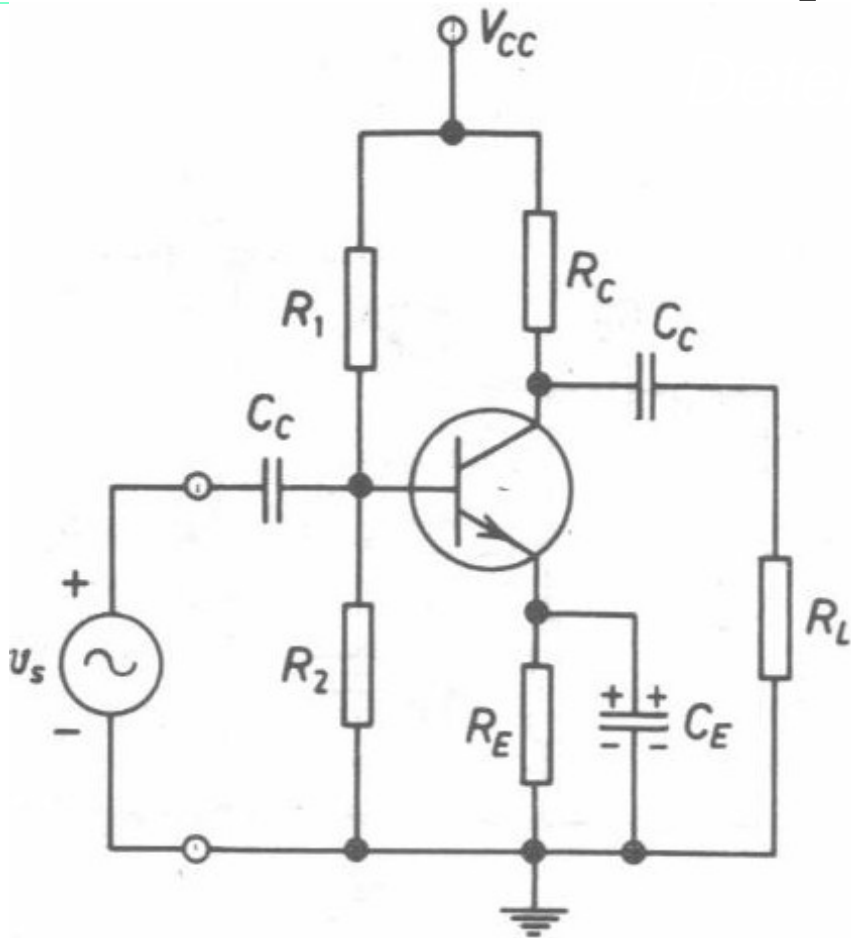
Feedback Amplifier



Amplifier Circuits with Negative Feedback



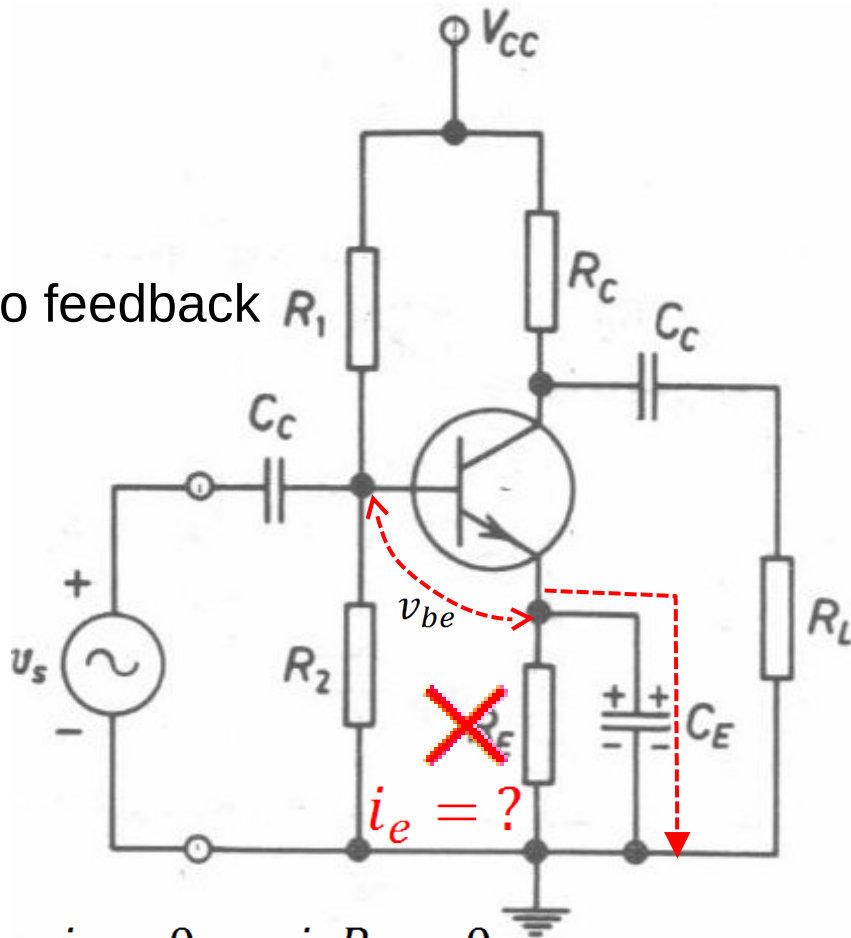
RC Coupled Amplifier



RC Coupled Amplifier

So, this is a
Series Current
Negative Feedback

No feedback



$$i_e = 0 \quad \therefore i_e R_E = 0$$

The effective input volage is v_{be} .

$$\therefore v_{be} = v_s$$

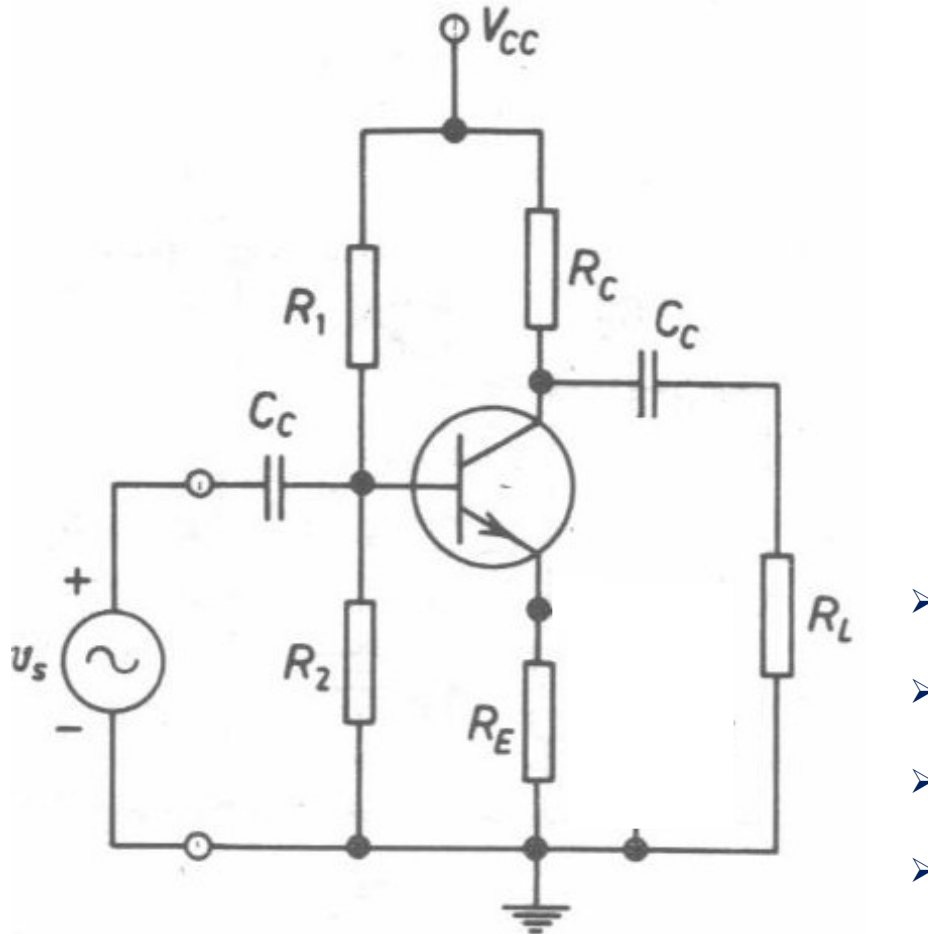
$i_e R_E$ appears in series with v_s

$i_e R_E = i_e R_E = v_e = \text{feedback voltage}$

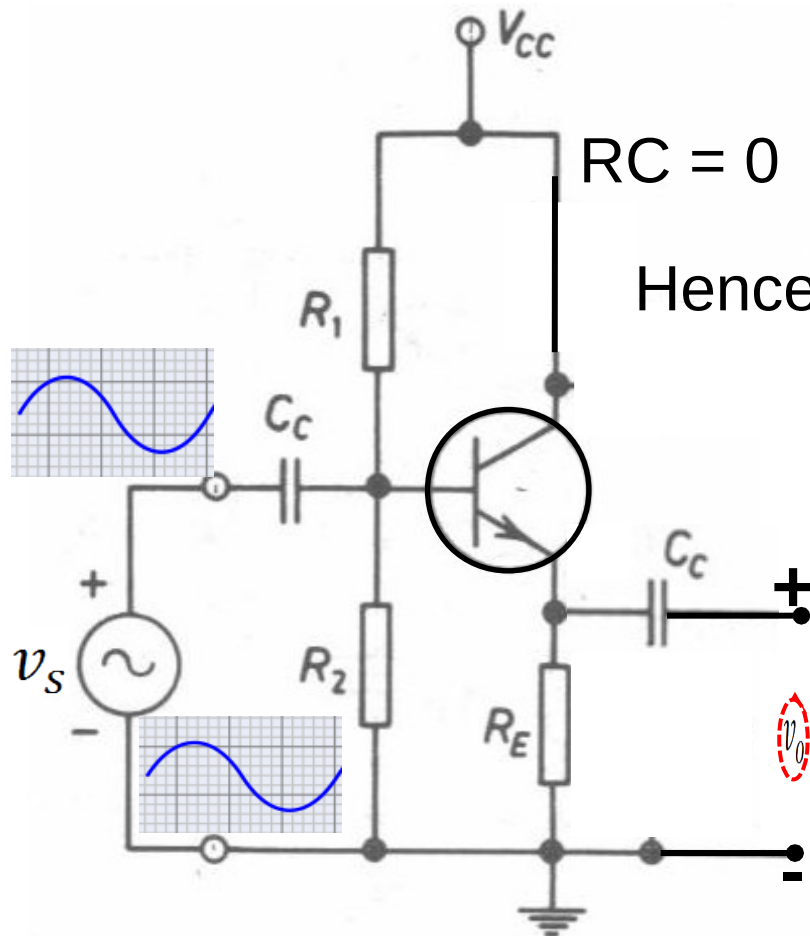
$$\therefore v_s = i_e R_E + v_{be} \quad v_{be} = v_s - i_e R_E$$

Since $i_e \propto i_c$, $v_e \propto i_c$ $\therefore v_{be} \propto i_c$

RC Coupled Amplifier WITHOUT BYPASS CAPACITOR



Emitter Follower



The effective input is ,
 $v_{be} = (v_s - v_o)$

Whole v_o is fed back to the input

Hence Gain of the circuit reduces drastically

Here $v_o < v_s$

In fact, Gain is less than Unity

Here v_o and v_s are in phase.

Also $v_o \cong v_s$

(v_o slightly less than v_s)

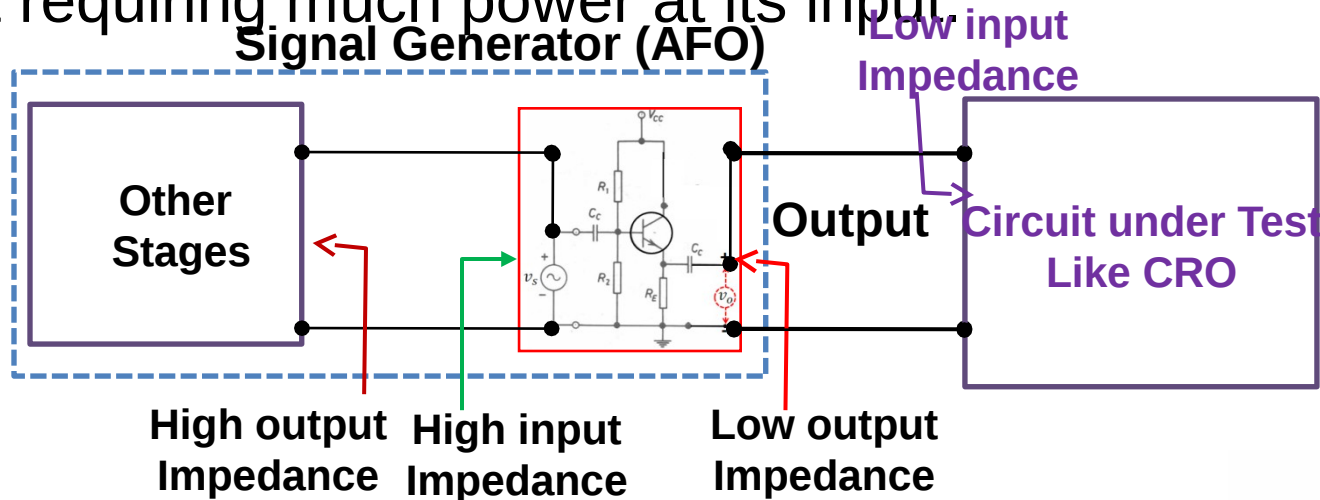
*It can be seen that,
emitter voltage i. e. v_o simply follows the input voltage v_s .*

What is usefulness of such
circuit ?

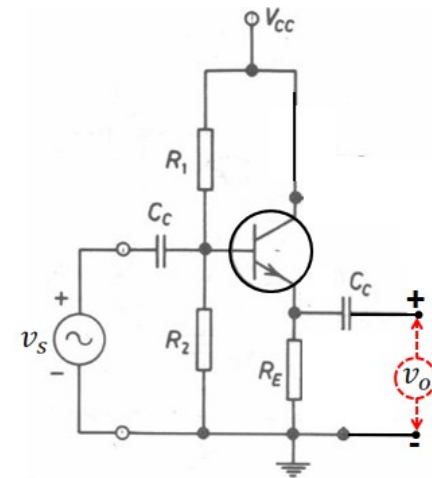
Emitter Follower: What is usefulness of such circuit?

The circuit offers high input impedance and low output impedance.

- Hence it is capable of giving power to a load connected to its output without requiring much power at its input.



- This is called as *Impedance matching*
- Here the emitter follower is acting as *Buffer amplifier*.



UNIT-3 Completes.....

Thank you for watching.

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